

Forces and Static Equilibrium

Objectives:-

- 1- To study forces in static equilibrium.
- 2- To find the force F_3 graphically.
- 3- To find the mass of unknown object by utilizing the force requirements of equilibrium and vector algebra.

Theory:-

Newton's First Law states that when a body is in equilibrium there can be no net force acting on an object, or in other words **the vector sum of all the forces must be zero.**

$$\Sigma F = 0$$

In a two-dimensional case, this vector equation is equivalent to two scalar equations:

$$\Sigma F_x = 0 \qquad \Sigma F_y = 0$$

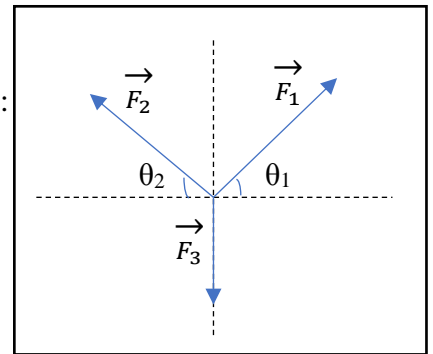
so, if we have three forces as in figure the equilibrium conditions will be:

along the **x-direction**
along the **y-direction**

$$F_1 \cos \theta_1 - F_2 \cos \theta_2 = 0$$
$$F_1 \sin \theta_1 + F_2 \sin \theta_2 - F_3 = 0$$

Where,

$$F_1 = m_1 g \qquad \text{and} \qquad F_2 = m_2 g$$



Apparatus:-

Board	Cables
Dynamometer	masses
Small pulleys	

Procedure:-

1. Prepare the system. Make sure that the string is throwing the pulleys, 0 scale of the board is horizontal and reading of dynamometer is zero.
2. Put equal weights **m_1** and **m_2** in the hangers, these weights represent F_1 and F_2 where,

$$F_1 = m_1 g \qquad \text{and} \qquad F_2 = m_2 g$$

3. Move the **dynamometer** left and right until it becomes **vertical** which represent the equilibrium state.
4. By using the board find out the angles between **F₁ and the positive x-axis (θ_1)**, and the angle between **F₂ and negative x-axis (θ_2)**.
5. Record the dynamometer reading **F₃** (experimental).
6. Choose a scale to represent the vectors **F₁** and **F₂**.
7. Draw **F₁** and **F₂** (by using the scale of diagram).
8. Measure the length of the line that represent the vector **F₃** by a ruler then use the diagram scale to find the magnitude of **F₃** graphically in Newton.
 $F_3 = (\text{length } F_3 \times \text{diagram scale})$
9. Compare between **F₃ experimental** and **graphical**.
10. Repeat steps 1,2 and 3 for unknown mass.
11. Find the mass of unknown object by using the **equilibrium conditions**.